

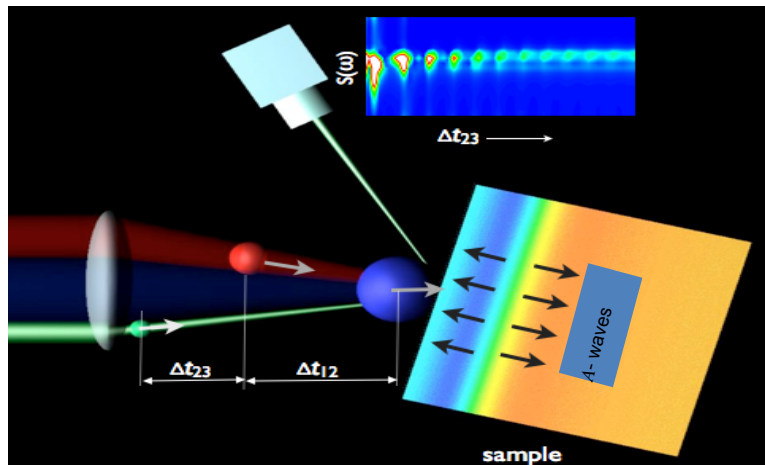
Femtosecond coherent nonequilibrium electronic ordering and topological defect dynamics in Charge Density Waves.

R. Yusupov, T. Mertelj, V.V. Kabanov, P. Kusar, D. Mihailovic
Jozef Stefan Institute, Ljubljana, Slovenia

P. Kusar, J.-H. Chu, I. R. Fisher
Applied Physics, Stanford University, USA

S. Brazovskii,
Orsay, France; ITP, Russia

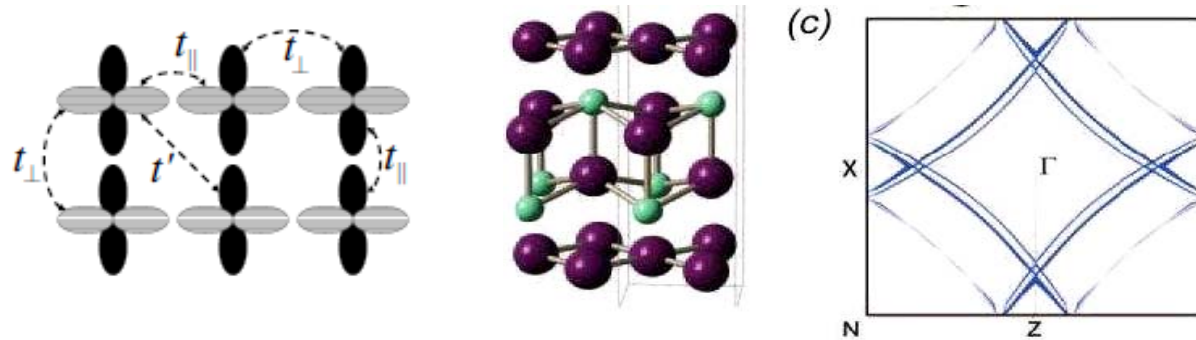
Nature Physics, to be publ.



Nonlinear "femto-second" optics
- time resolution $\sim 10^0 \text{fs} < 10^{-13} \text{ sec}$
Well shorter than phonon's periods $2\pi/\omega_0 \sim 1 \text{ps} = 10^{-12} \text{ sec}$.

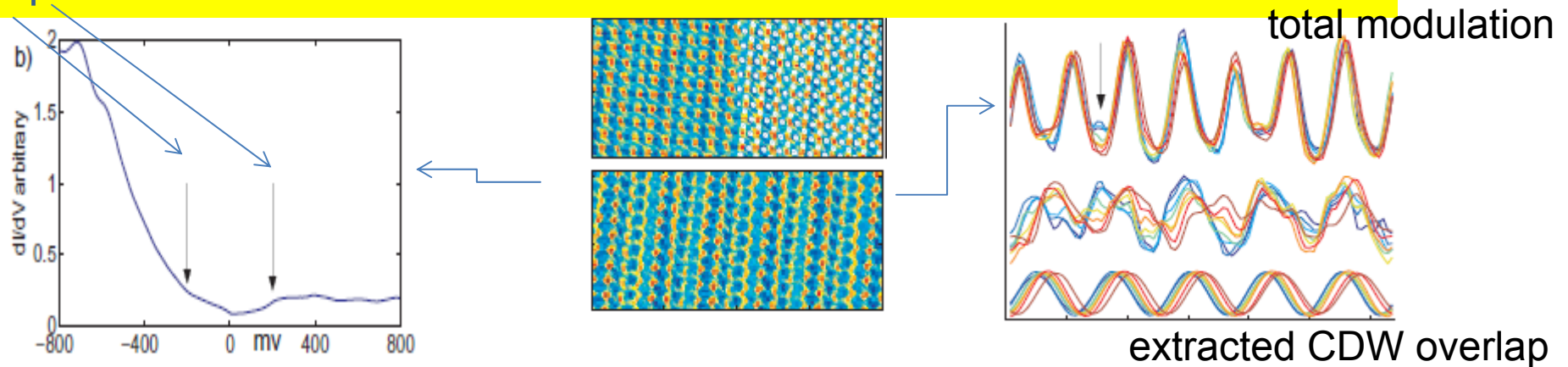
Real-time probe of evolving phonon modes
and of electronic relaxation

Layered compounds with Charge Density Waves: Tb(Dy)Te_3 , TaSe_2 , $\text{K}_{0.3}\text{MoO}_3$

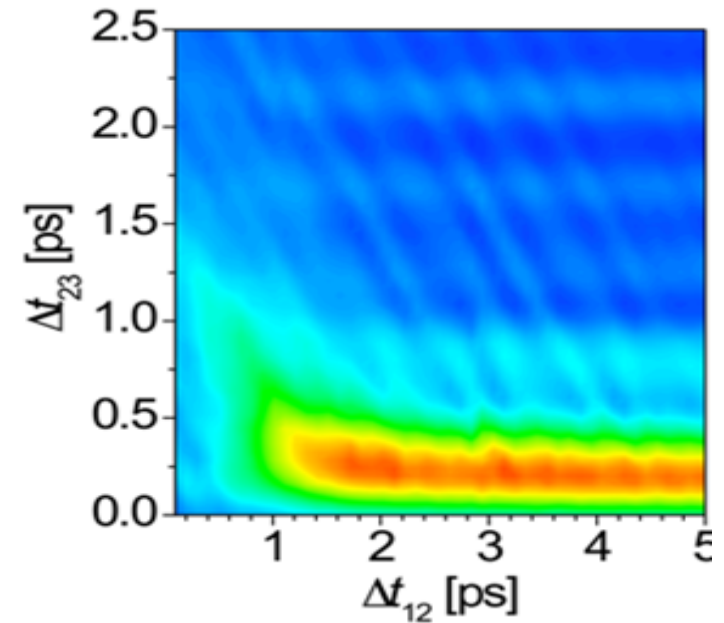
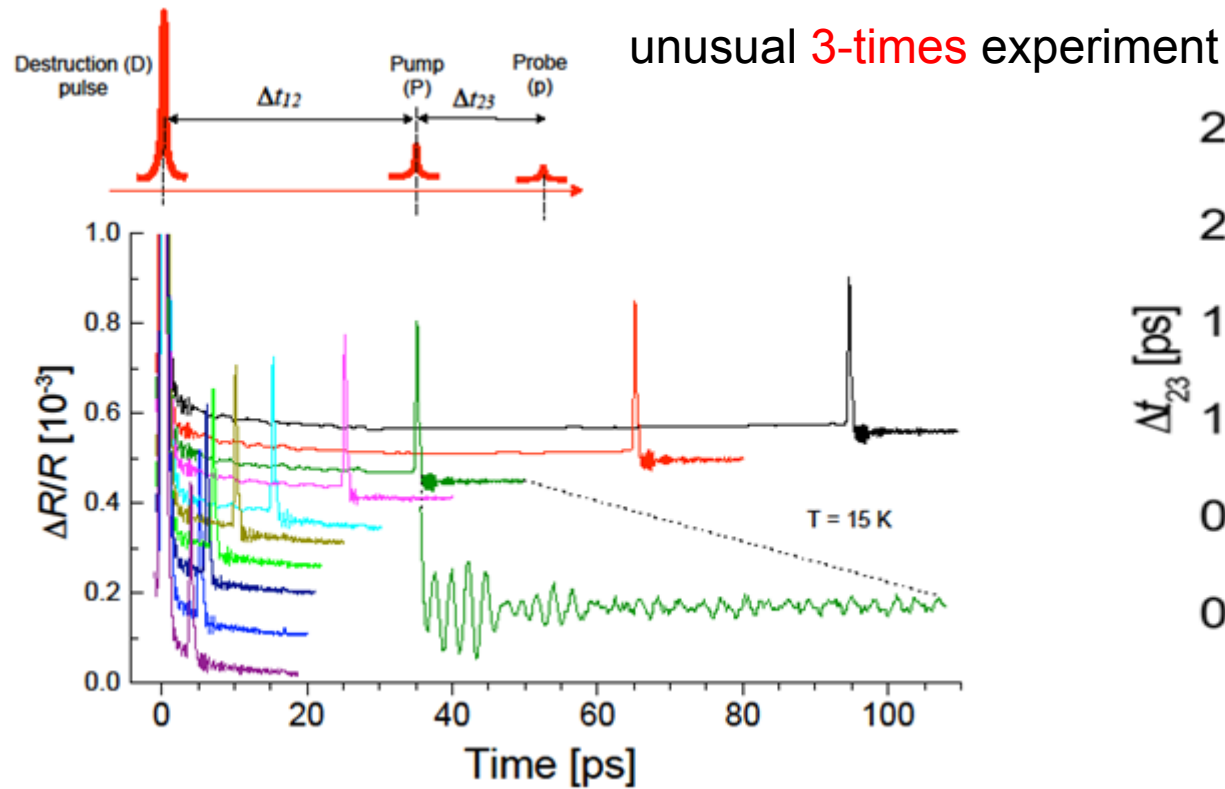


Fermi surfaces from ARPES experiments

Strongly oriented molecular orbitals \rightarrow
 hidden one-dimensionality in two orthogonal directions \rightarrow
 flattened, nearly nested Fermi surfaces \rightarrow
 instability towards an incommensurate CDW, wave number $Q=0.7 \rightarrow$
 gap closes some $\frac{1}{2}$ of the Fermi surface



STM Studies of TbTe_3 : Evidence for a fully Incommensurate Charge Density Wave
 A. Fang, N. Ru, I.R. Fisher, and A. Kapitulnik



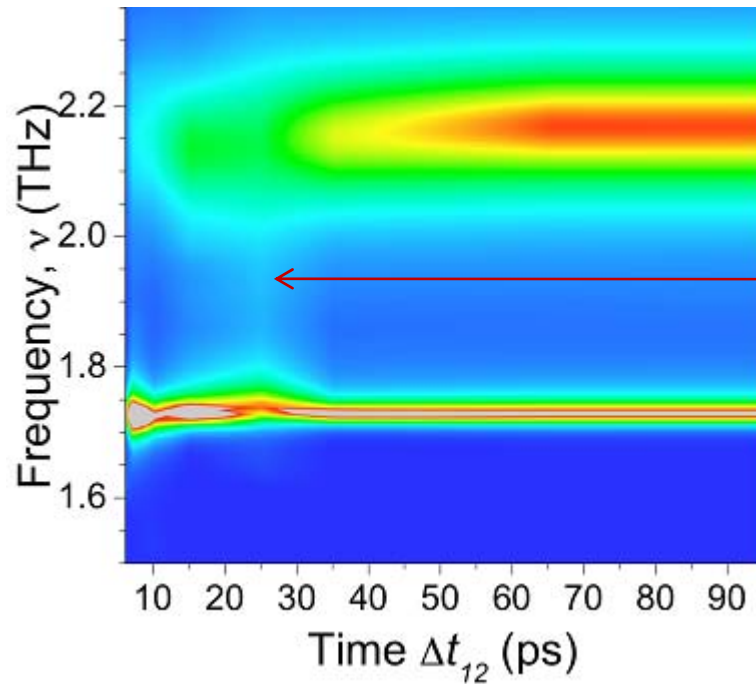
$t=t_1$ – "destruction D" pulse strongly perturbs the electronic system causing weakly attenuating "pendulum" oscillations of the CDW.

$t_2=t_1+\Delta t_{12}$ – "Pump P" pulse weakly perturbs the evolving non-equilibrium state.

$t_3=t_2+\Delta t_{23}$ – "probe p" pulse probes the reaction of the still evolving system to the Pump pulse.

The way all have started; no fine structure yet

Fast Fourier Transform FFT : $t_{23} \rightarrow \omega$ at a given t_{12}



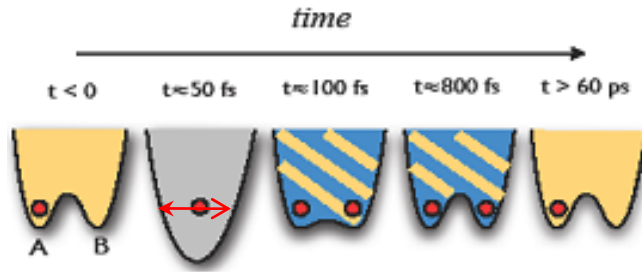
Amplitude mode **AM** of the order parameter

Inter-mode interaction when one gains a width

An auxiliary mode noninteracting with electrons

Original challenge:

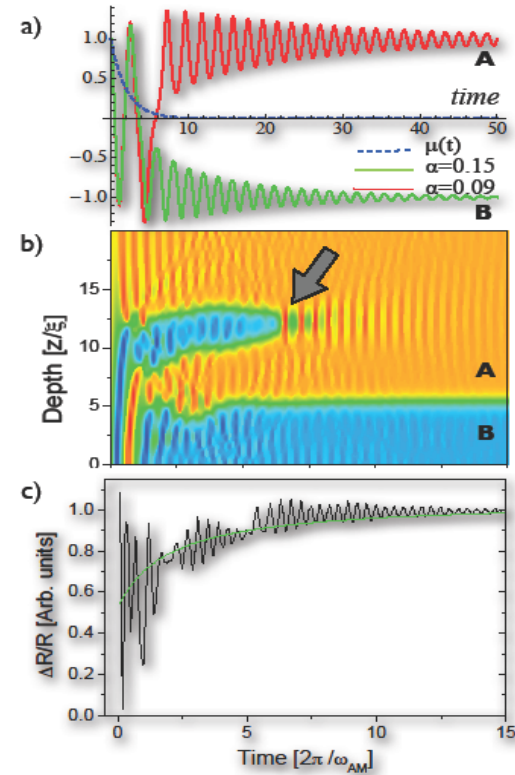
Why the AM sets in at times x10-100 longer than the relaxation time of electrons ~ 2 ps?
Suspected: creation of topological defects, hence links to dynamical phase transitions in cosmology and cold atoms



Time evolution of the ground state energy U profile as function of the order parameter A .

Red dot - the state of the system.

Blue/orange potential signifies the pendulum oscillating regime spanning both signs of A .



$$\frac{1}{\omega_0^2} \partial_t^2 A + \frac{\alpha}{\omega_0} \partial_t A - \xi^2 \partial_z^2 A + A^3 - A \left(1 - \eta \exp\left(-\frac{t}{\tau} - \frac{z}{\lambda}\right) \right) = 0$$

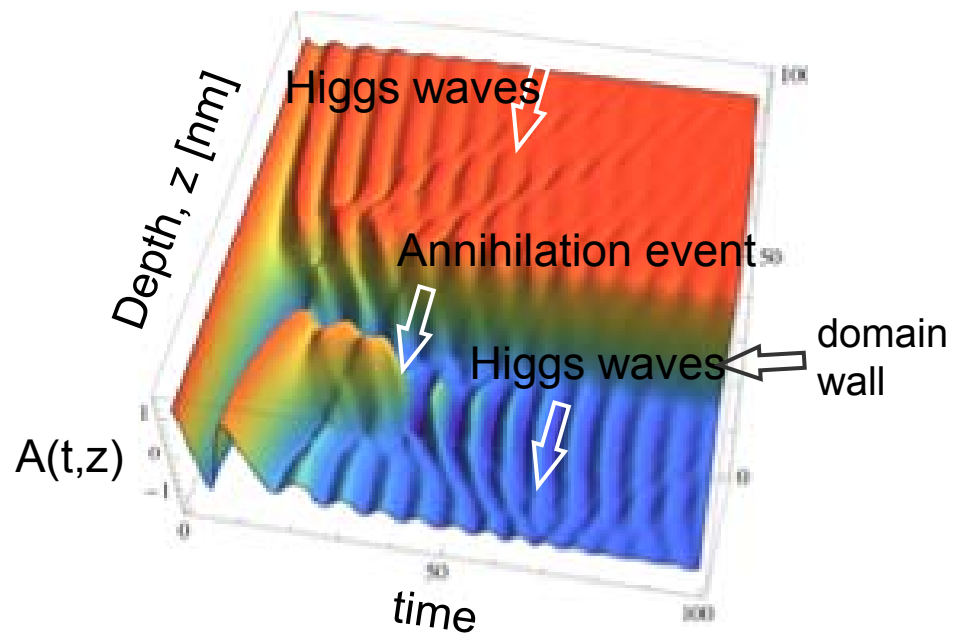
z – coordinate from the surface towards the sample depth.

ξ – inter-plane coupling length

λ – light's penetration depth.

$\eta \approx 2$ – destruction strength – *the only adjustable parameter*

Inhomogeneous laser excitation



Calculated order parameter as a function of depth, and of time after quench:

$A(z; t)$ as a function of depth z and waiting time t_{12} .

Ripples in the space-time texture are due to annihilation event at 3.5 ps.

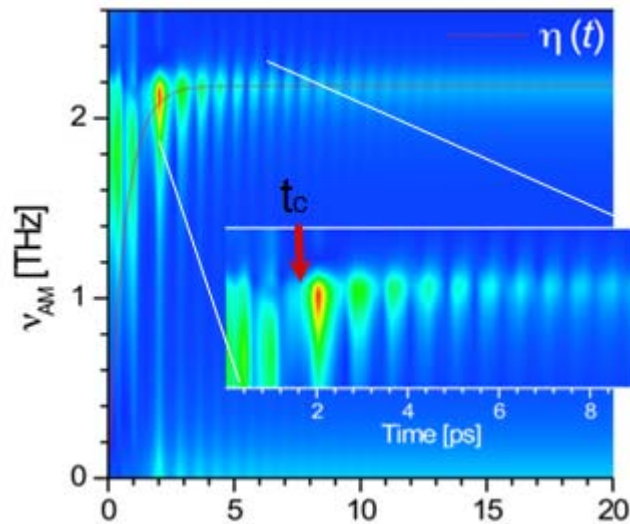
The wave reaches the surface at around 6ps.

Theory versus experiment: homogeneous – z-independent regime

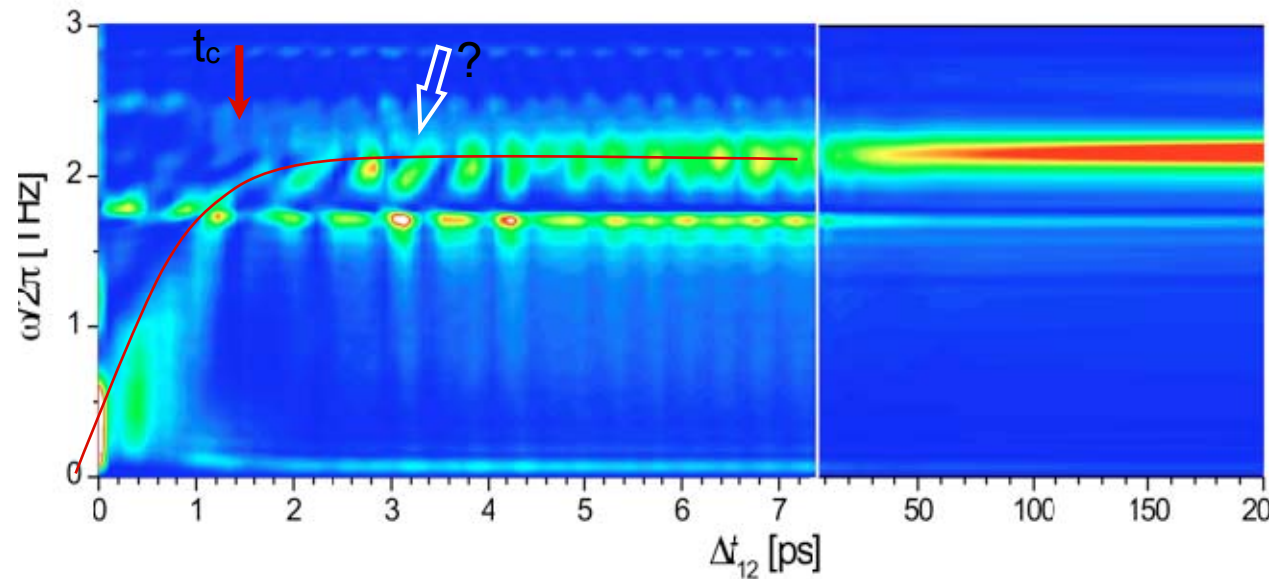
FFT power spectra of the data as a function of t_{12} . Note:

1. non-periodic fluctuations of intensity around the transition at $t_c=1.5$ ps
2. asymmetric line shapes near $t_{12}=3.5$ ps as the domain wall reaches the surface (white arrows).

Numerical homogeneous solution



Experimental spectrum



Features reproduced by the homogeneous model:

- order parameter fluctuations
- slowing down below t_c
- softening of the amplitude mode AM

Theory vs Experiment

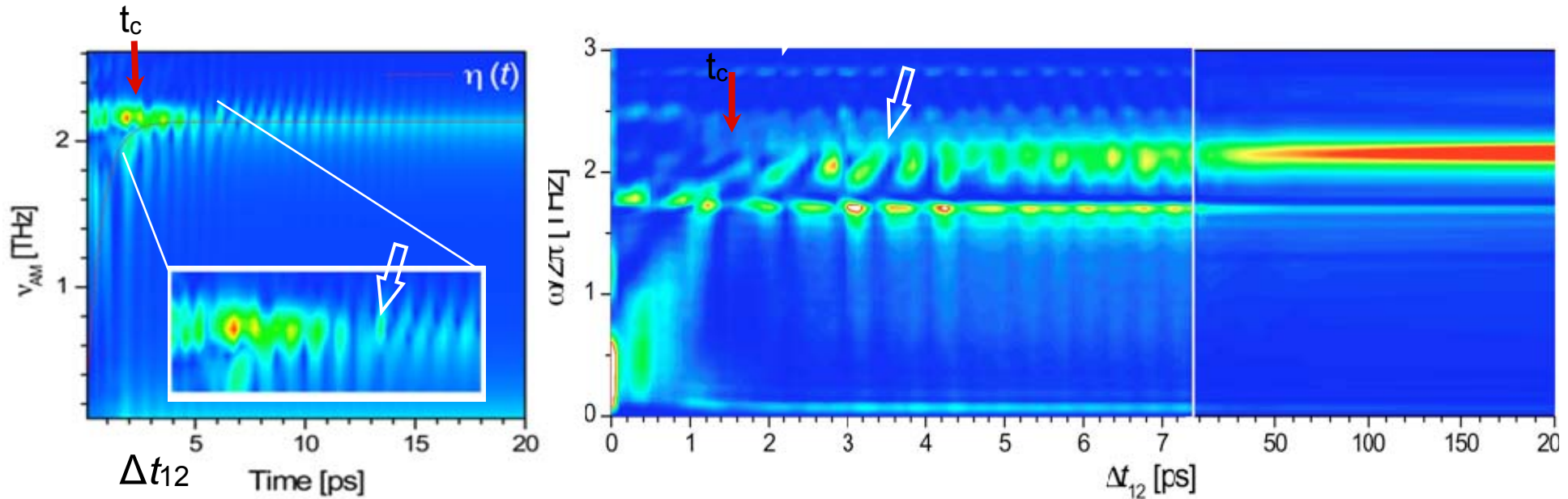
Note : order parameter fluctuations, slowing down at t_c , softening off the amplitude mode AM.

WHITE ARROWS - distortion due to the Higgs wave.

Red arrows - slowing down below the critical time of the transition t_c .

Numerical solution integrated over z

Experimental spectrum



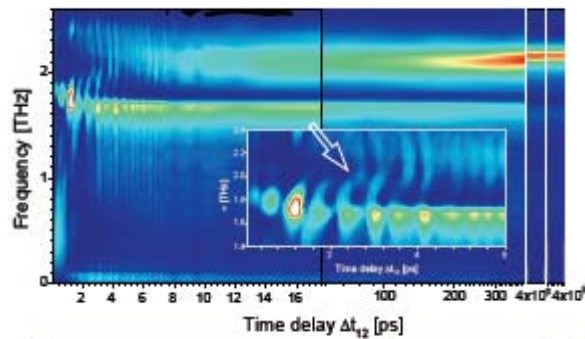
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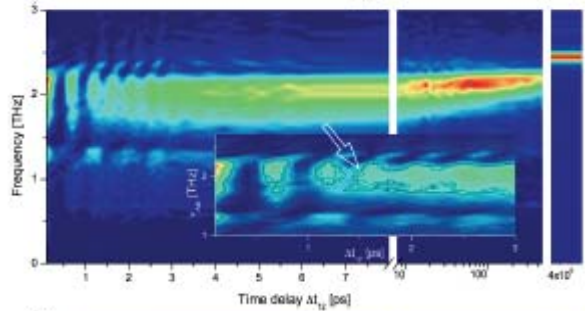
**Universality of the dynamics:
extensions from TbTe_3 to DyTe_3 , TaSe_2
and $\text{K}_{0.3}\text{MoO}_3$.**

Universal features:

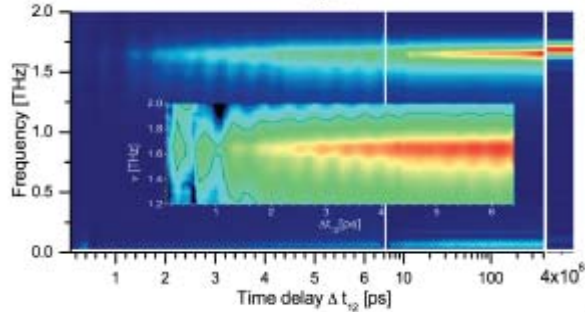
- (1) subpicosecond gap recovery →
- (2) slowing down of the order parameter fluctuations through the transition
- (3) creation of multiple domains →
- (4) coherent topological defect annihilation →
- (5) incoherent dynamics.



DyTe₃



TaSe₂



**Universality of the dynamics:
extensions from TbTe₃ to DyTe₃, TaSe₂
and K_{0.3}MoO₃.**

Universal features:

- (1) subpicosecond gap recovery
- (2) slowing down of the order parameter fluctuations through the transition
- (3) creation of multiple domains
- (4) coherent topological defect annihilation
- (5) incoherent dynamics.

K_{0.3}MoO₃ : Waves are not observed and are not predicted for parameters of this material - all frequencies are in-phase.

Power spectra of oscillatory responses obtained directly from data by FFTs.

Inserts show details around the critical time of the transition t_c .

Arrows point to distortions of the spectra - diagonal spots in the $\omega - \Delta t_{12}$ plots, when Higgs-waves arising from domain wall annihilation reach the surface.

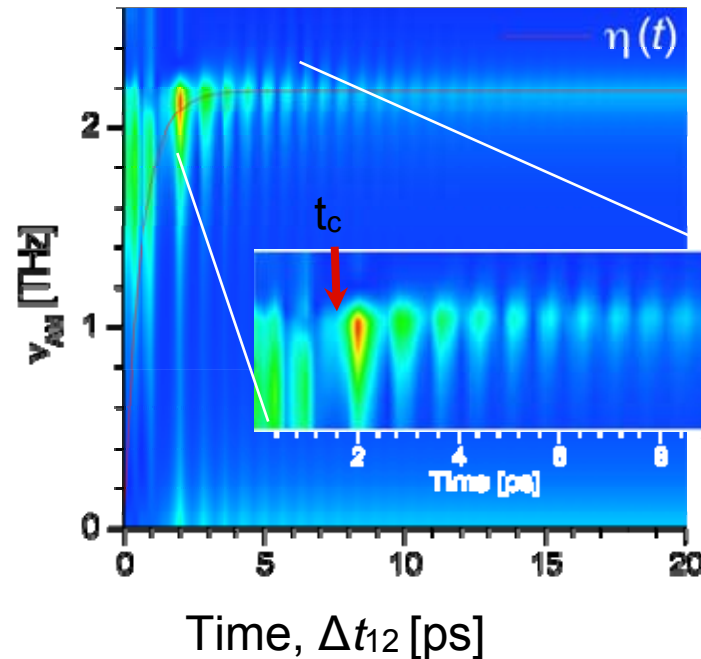
Calculated spectral response

Equation of motion without gradient term, appropriate for a uniform system:

$$\frac{1}{\omega_0^2} \frac{\partial^2}{\partial t^2} A + \frac{\alpha}{\omega_0} \frac{\partial}{\partial t} A - (1 - \eta) A + A^3 = 0$$

The solution gives the time-evolution of the spectrum through the transition:

Calculated $\Delta R/R$
based on the
homogeneous
solution



Experimental parameters:

$\tau=650\text{fs}$

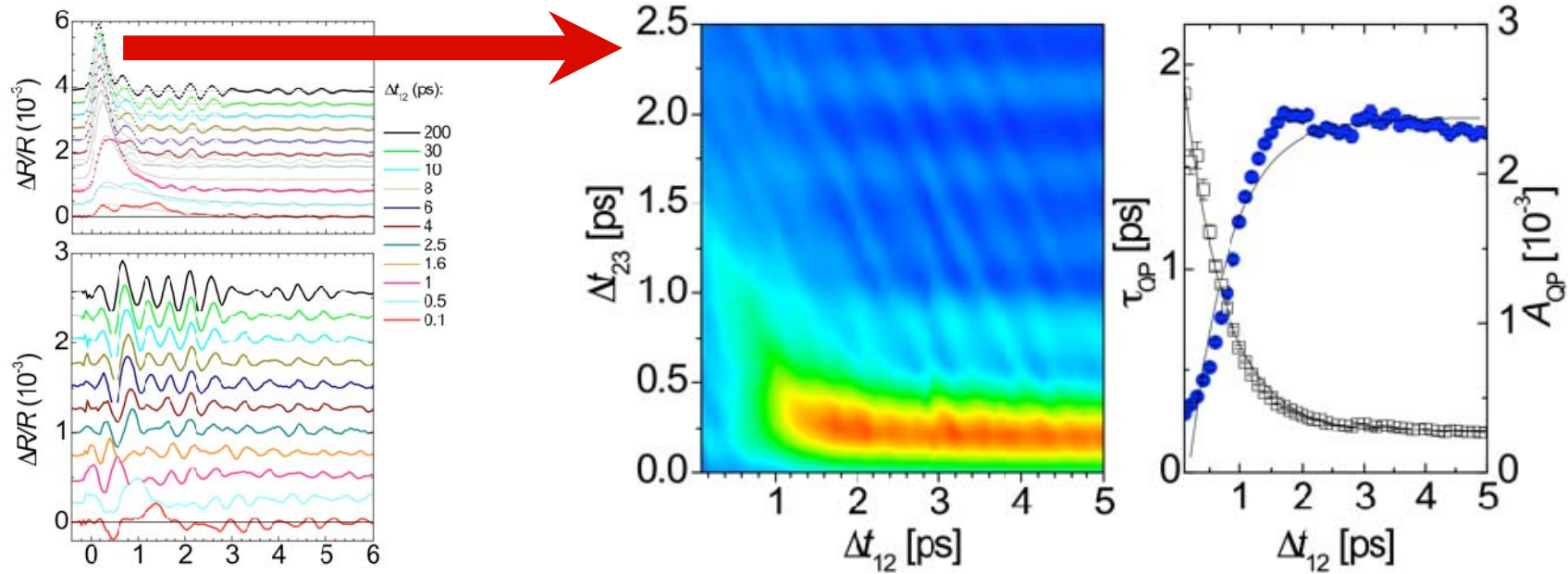
$\omega_0/2\pi=2.2\text{THz}$

$\alpha=0.1$

$\eta=2\exp(-t/\tau)$

Quasi-particle (fermion)dynamics: gap recovery

Gap recovery time $\tau = 650$ fs



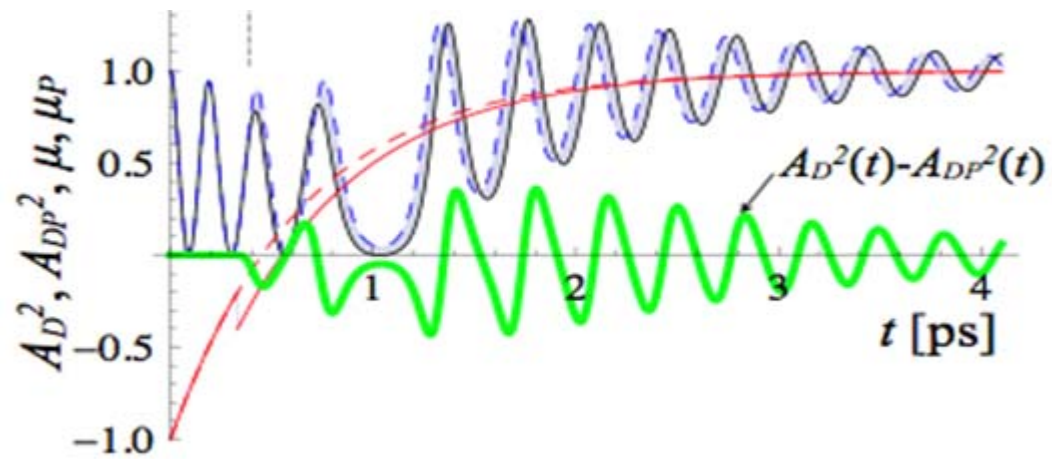
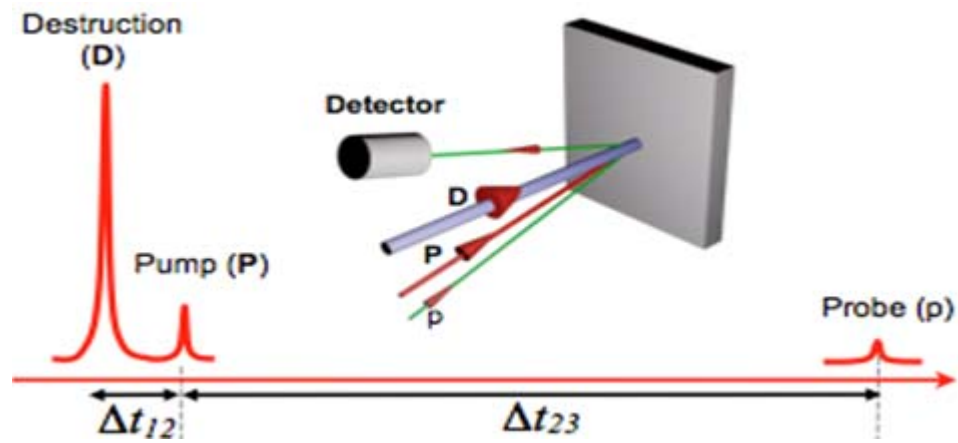
Raw transient reflectivity data $\Delta R/R$ for different delays Δt_{12} . $\Delta R/R$ with the QP response subtracted.

The QP response $\Delta R/R_{QP}$ after the quench as a function of t_{12} . The ripples arise from space-time

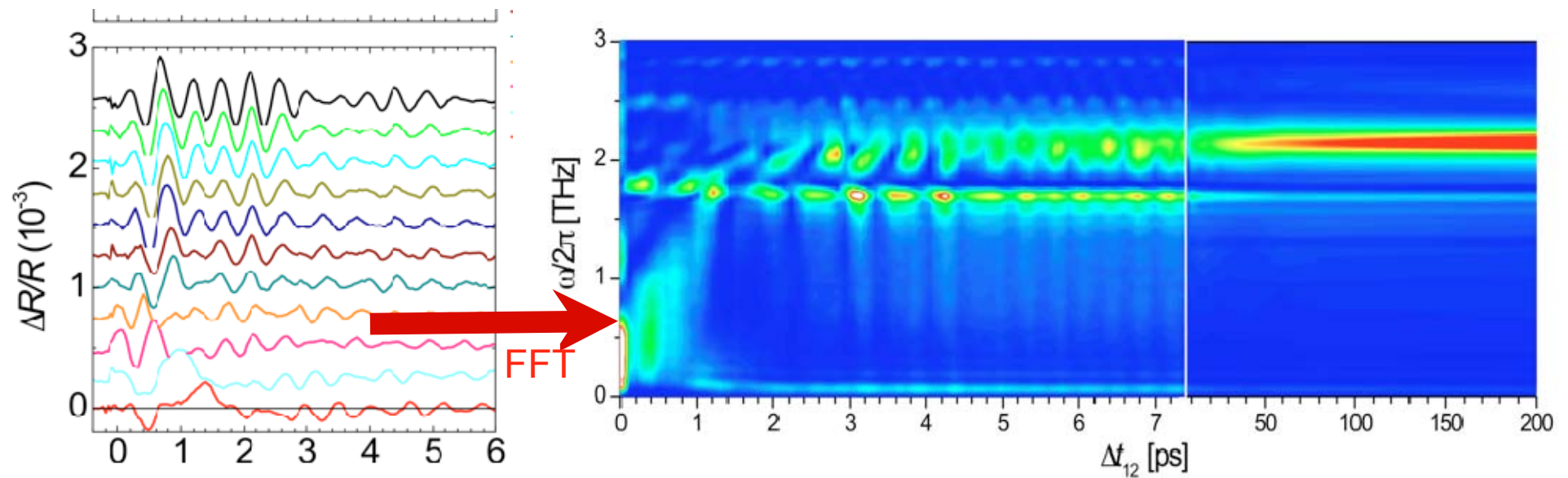
fluctuations of the OP.

The QP lifetime τ_{QP} and the amplitude of the QP response A_{QP} as a function of Δt_{12} .

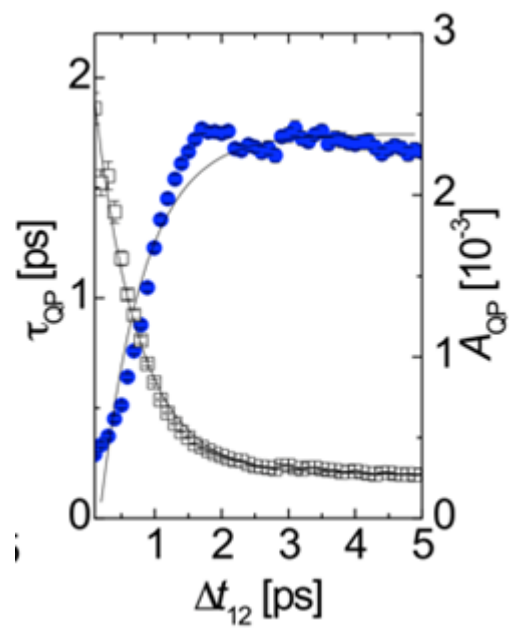
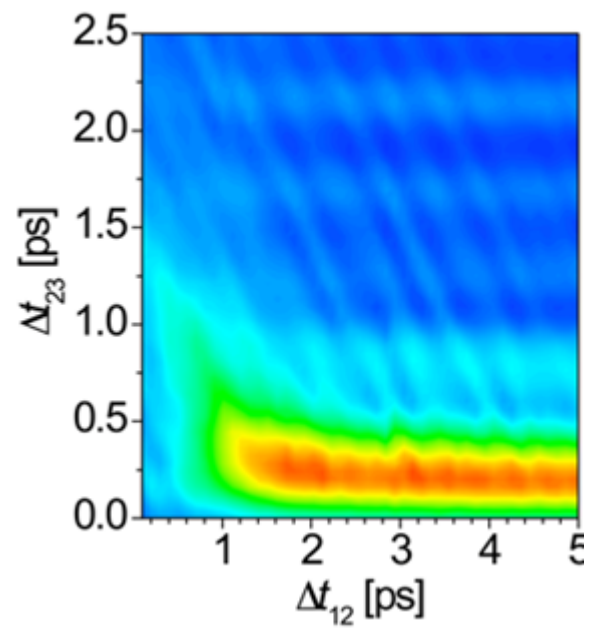
A single exponential fit to both data sets gives $\tau_{QP} = \tau_{AQP} = 650$ fs.

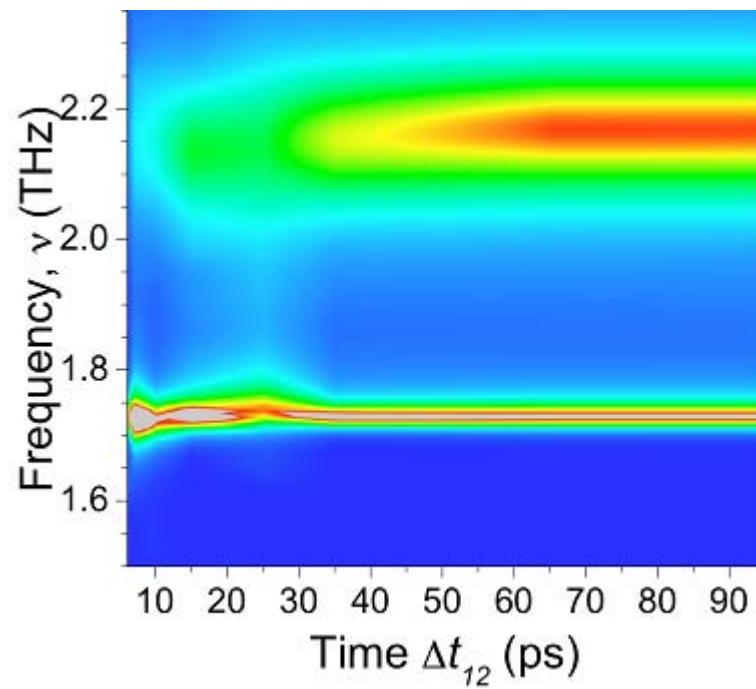
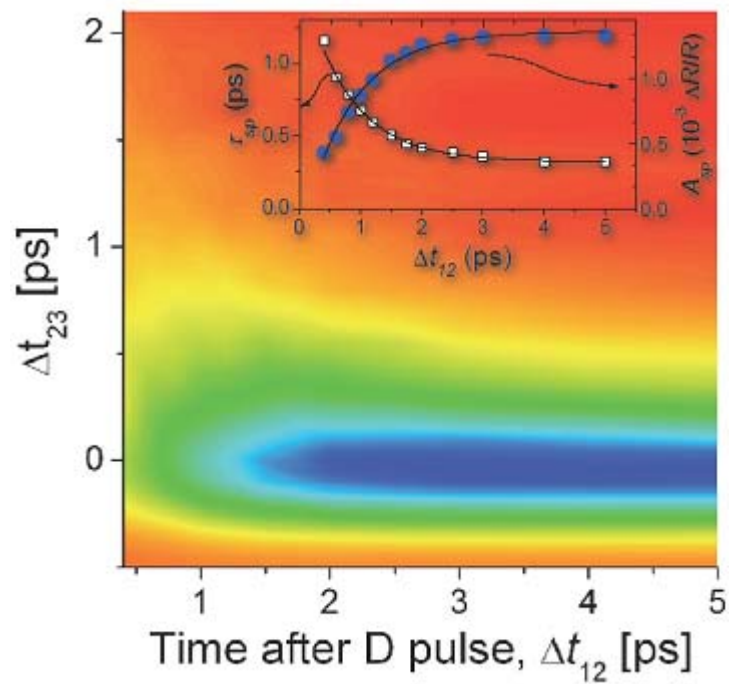


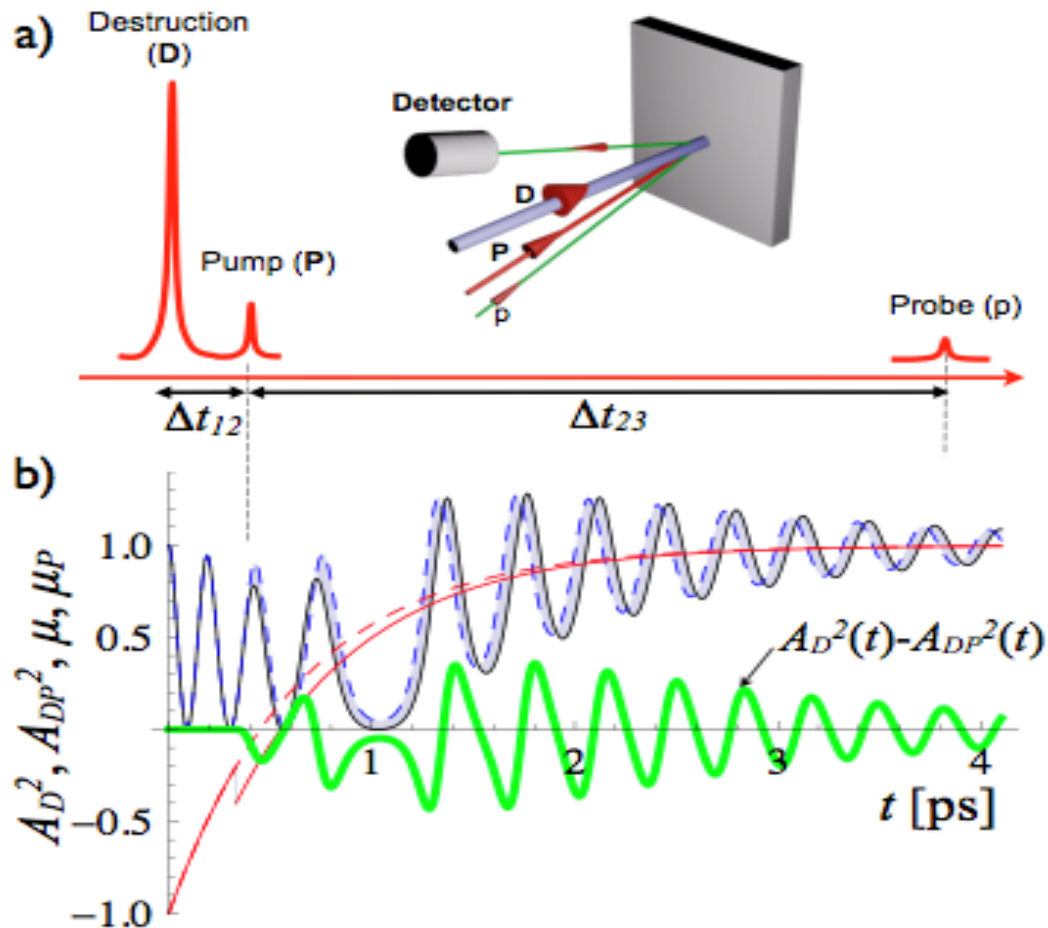
Evolution of the collective mode spectrum with time after quench



The most obvious feature:
coherent order parameter fluctuations







a) Destruction (D) pulse quenches the system, pump- probe (P-p) sequence probes the reflectivity at a later time t_{12} .

b) Control parameters μ (solid) and μ_P (dashed).

Predicted oscillations of $A^2(t)$ with and without the P pulse are shown by the dashed and solid oscillatory curves.

Predicted $\Delta R(t)$ is shown by the green curve.

